NOTE: *Each exercise is worth 10 points and can be turned in at any time before its "expiration date". Altogether, these will count the same as one project.*

Many of these problems will require you to use the help system and/or read the text to figure out what commands you need to use and how to use them. Figure out what to do is part of the work.

- 1. (expires 9/12) Use Maple to write $x^5 2x^4 10x^3 + 20x^2 16x + 32$ as a product of exact linear factors. By exact, I mean you should leave any non-rational factors expressed as radicals; do not approximate terms like $\sqrt{3}$ as 1.73205, etc.
- 2. (expires 9/12) EXTRA CREDIT Draw a graph showing both $\cos(x)$ and its fifth Taylor polynomial (that is, $1 \frac{1}{2!}x^2 + \frac{1}{4!}x^4$) for x between -4 and 4. What degree of Taylor polynomial seems to be needed to get good agreement in this range? Hint: use a variation of the command convert(taylor(cos(x), x, 5), polynom) to make this work. Think of a suitable way to demonstrate that the approximation you have taken is "good"- what is a good definition of "good" here?
- 3. (expires 9/12) Consider the planar curve γ defined by x²y³ + y² + y 2ex = 0. Using only Maple, find the slope of the tangent line to the curve at (0,1). Then plot the curve and the tangent line on the same graph. Hint: you might want to use implicitle from the library plots. You might find implicitdiff helpful, too.
- 4. (expires 9/12) Plot the function $f(x) = 2 \sin x x^3 1/5$, for $x \in [-4, 4]$. Find all the zeros of the function with an accuracy of 20 decimal digits. Hint: See Digits, fsolve.